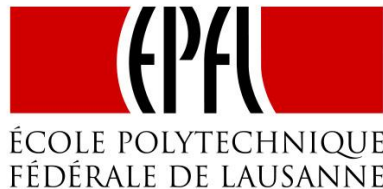
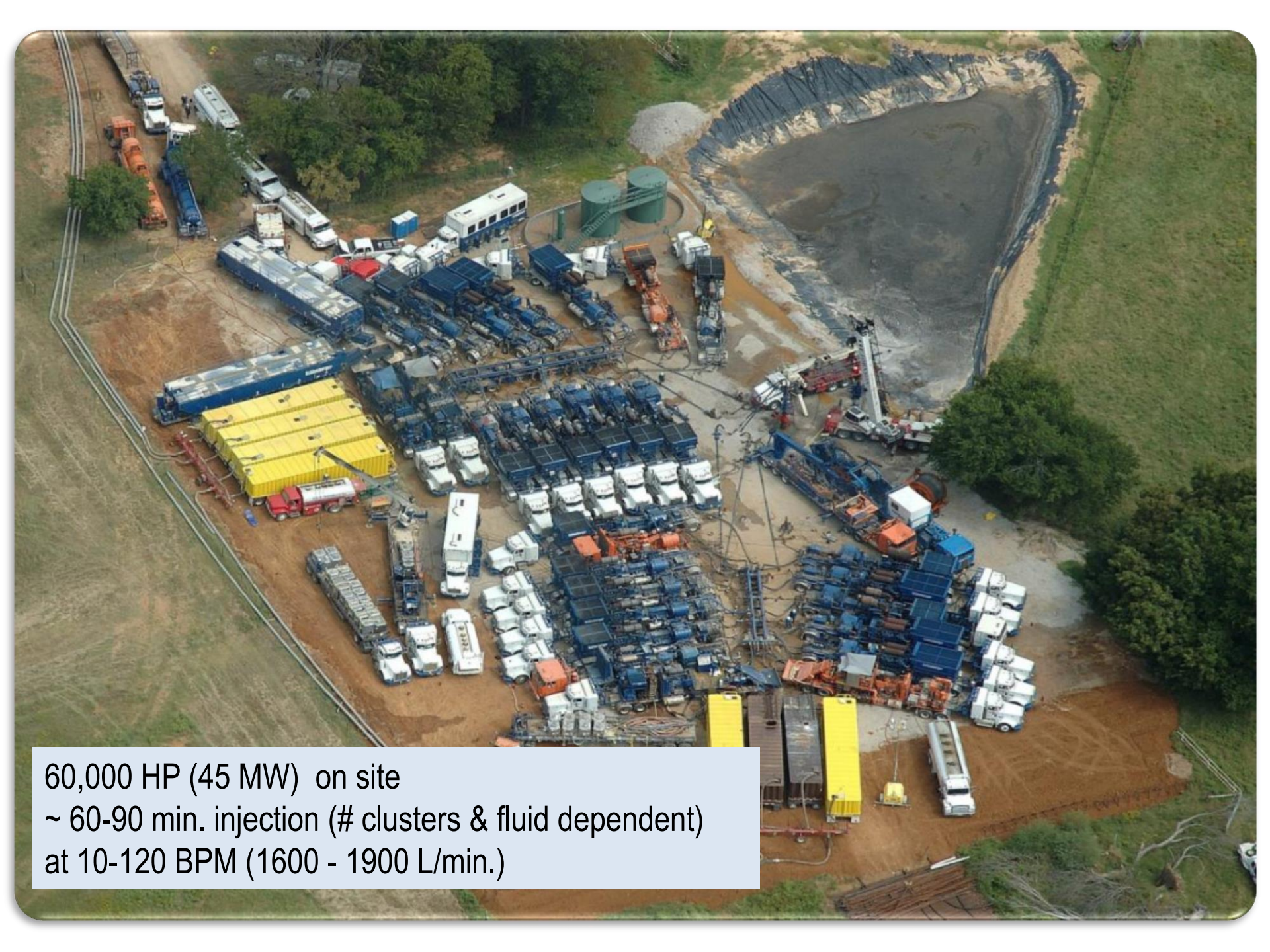


# Hydraulic fracturing & Seismicity

a hydraulic fracture mechanics perspective

Brice Lecampion



An aerial photograph of an industrial site, likely a water treatment or injection facility. A large, dark, lined pond is visible on the right side. The central and left areas are filled with a large number of trucks, many of which are blue and white, and several yellow storage tanks. There are also green cylindrical tanks and various pieces of industrial equipment scattered throughout the site. The surrounding area is a mix of dirt, grass, and trees.

60,000 HP (45 MW) on site  
~ 60-90 min. injection (# clusters & fluid dependent)  
at 10-120 BPM (1600 - 1900 L/min.)

# The Hydraulic Fracturing Process

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## ○ Main stages:

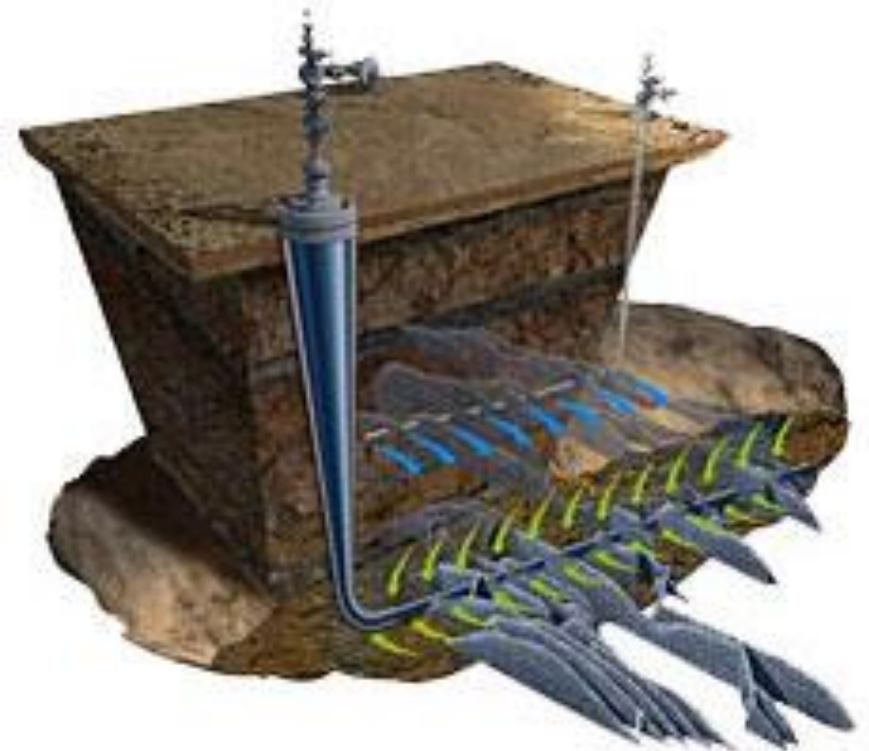
- Break formation down with a fluid “pad”
- Create fracture geometry and aperture with fracturing fluid
- Inject slurry with proppant
- Flush, shut-in
- Clean up

## ○ Physics :

- Fracture propagation
- Fluid flow
- Proppant transport
- Wellbore hydraulics

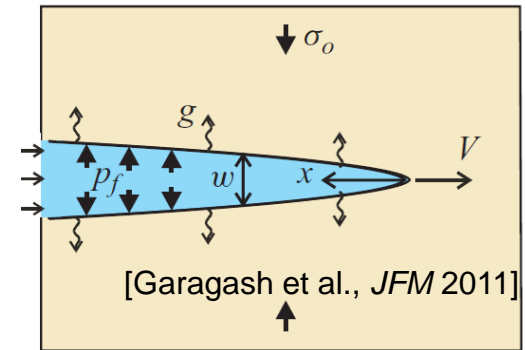
## ○ Basics:

- Vertical fractures (in most basins)
- Vertical containment due to
  - Stress contrasts
  - Bedding, laminations, permeability etc.



# Hydraulic Fracture Mechanics in a Nutshell

- Solid deformation
- Fracture surface creation
- Fluid flow / slurry flow
- Mass balance:  
injected fluid = storage + leak-off
- Energy balance:

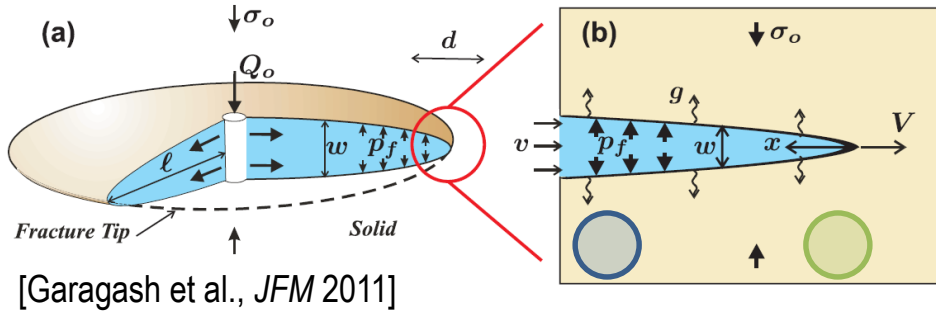


$$P_{\text{Input}} = \underbrace{\dot{U}_{\text{strain ener.}}}_{\text{stored in the rock}} + \underbrace{Q_o \sigma_o}_{\text{In-situ stress}} + \underbrace{D_{\text{Viscous}}}_{\text{Frac. + WB + Perf + Leak-Off}} + D_{\text{Frac.}}$$

*Dissipations*

- Very different propagation regimes depending on the dominant mechanisms (e.g., Viscosity / Toughness, Leak-Off / Storage)  
[e.g. Detournay, 2004, 2016; Garagash 2000, 2009]
- Largest energy spent: viscous flow (WB mostly) +  $Q_o \sigma_o$

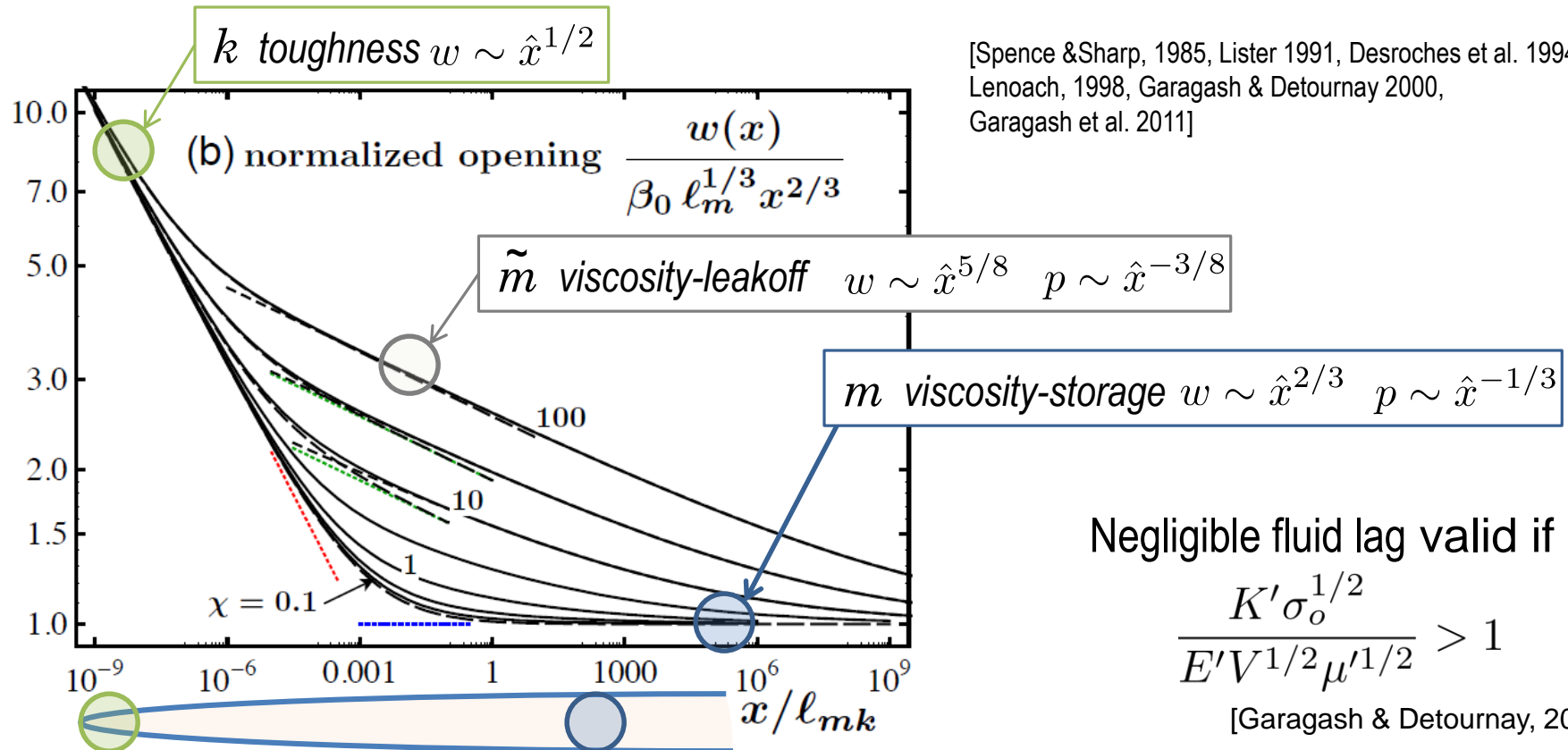
# HF tip asymptotes – zero lag – with leak-off



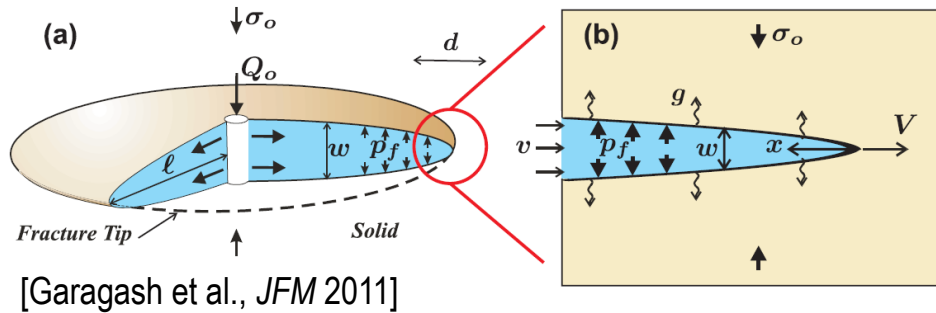
$$\ell_{mk} = \frac{K'^6}{E'^4 \mu'^2 V^2}$$

$$\chi = \frac{C' E'}{V^{1/2} K'}$$

[Spence & Sharp, 1985, Lister 1991, Desroches et al. 1994, Lenoach, 1998, Garagash & Detournay 2000, Garagash et al. 2011]



# HF tip asymptotes – vs experiments

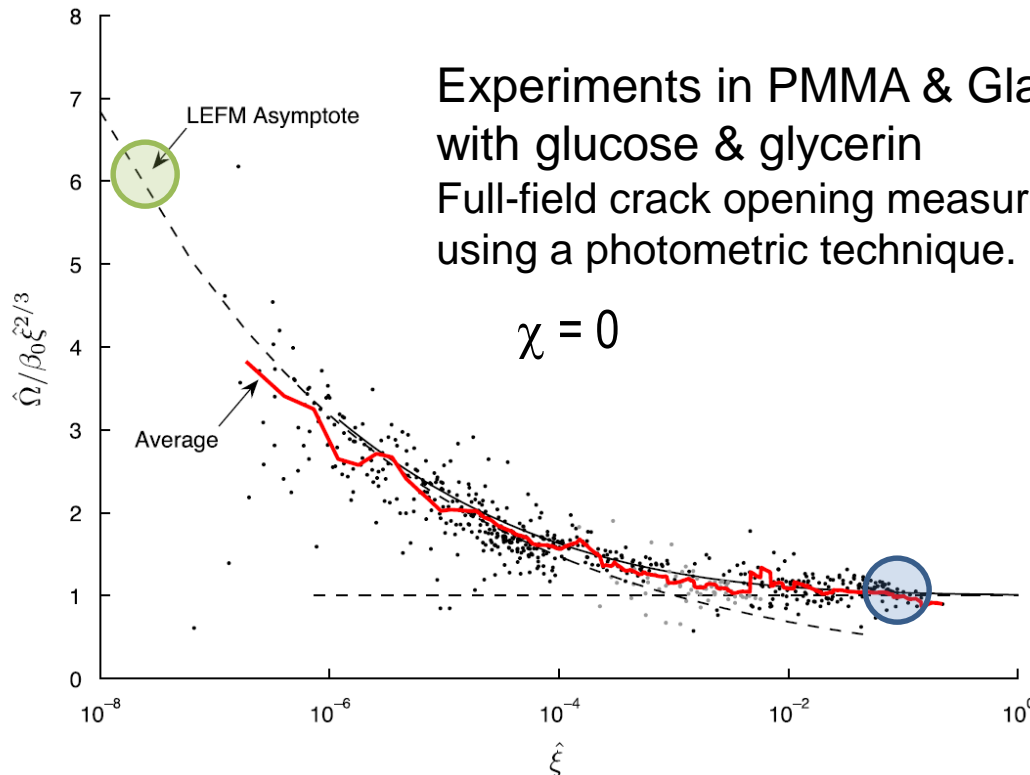


$$\chi = \frac{C' E'}{V^{1/2} K'}$$

$$\ell_{mk} = \frac{K'^6}{E'^4 \mu'^2 V^2}$$

Experiments in PMMA & Glass  
with glucose & glycerin  
Full-field crack opening measured  
using a photometric technique.

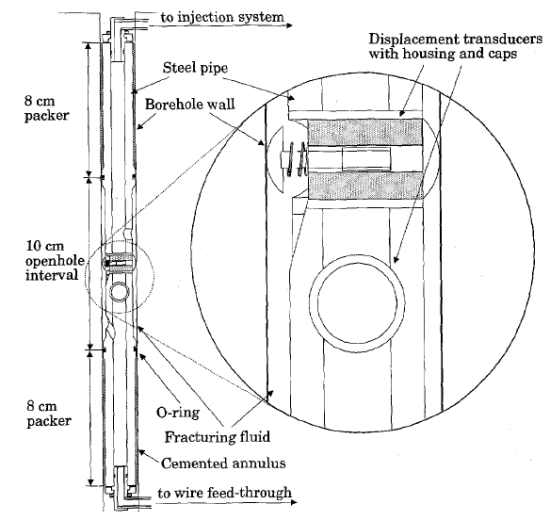
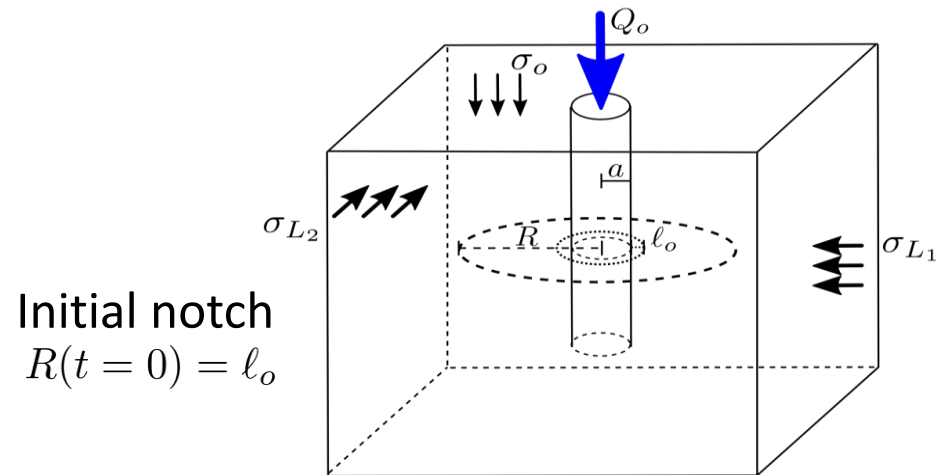
$$\chi = 0$$



[Bunger & Detournay, JMPS, 2008]

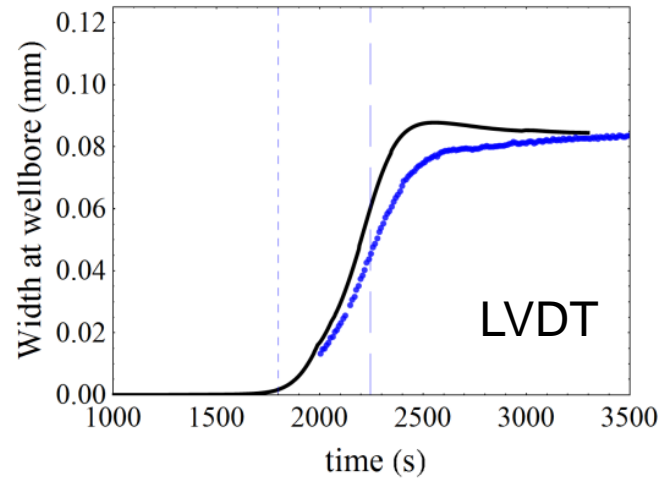
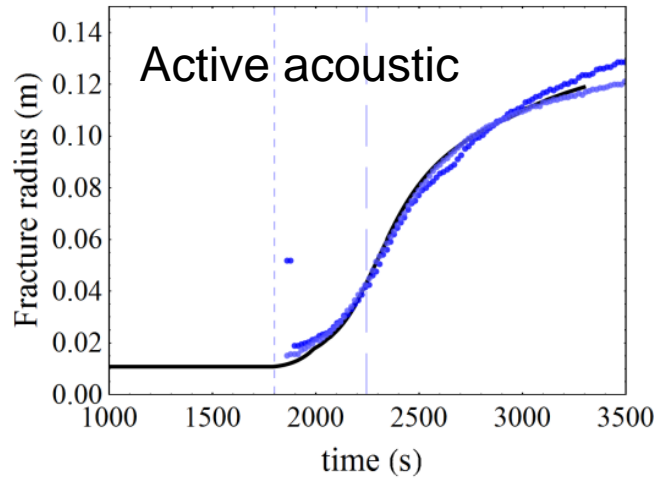
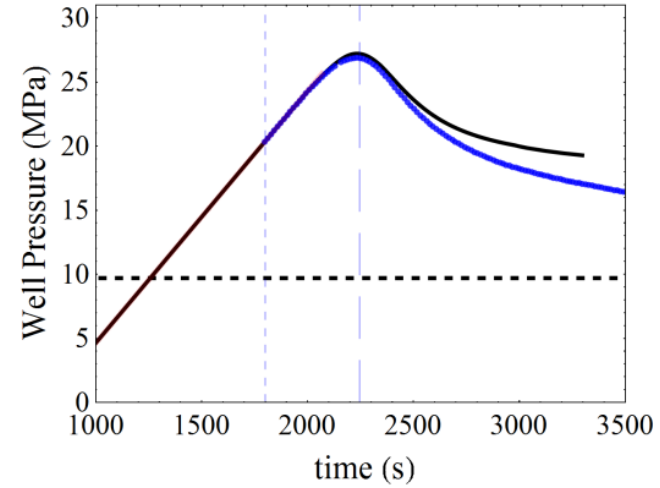
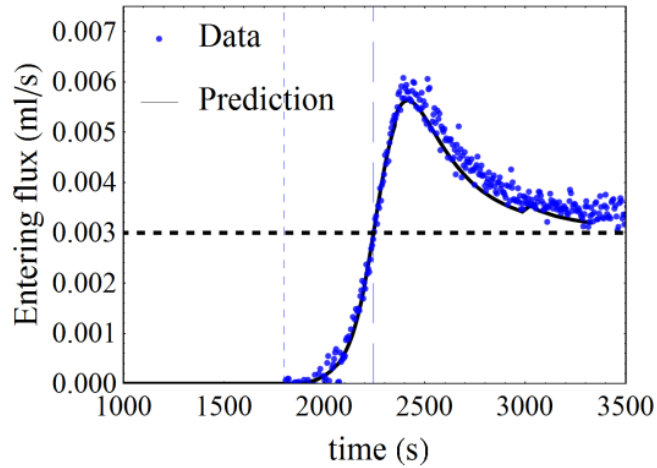
# Radial HF - theory vs experiments

- Material Properties
  - Via material testing
- Notch length
  - via casting
- Test Parameters
  - Injection rate, viscosity, system compliance
- Measurements
  - Wellbore Pressure
  - Width: Lvdt (crack mouth), optics (Beer's law)
  - Fracture footprint: Acoustic Transmission, Acoustic Emission



[Weijers et al., 1995]

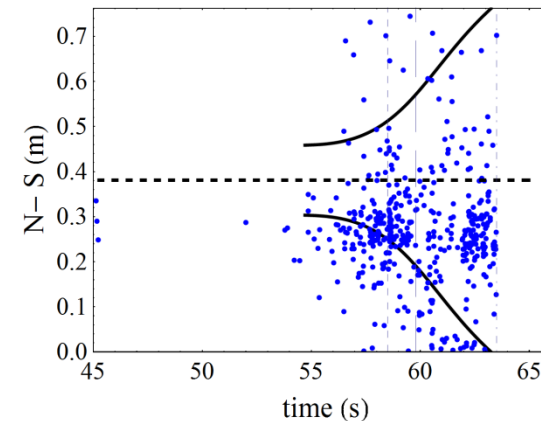
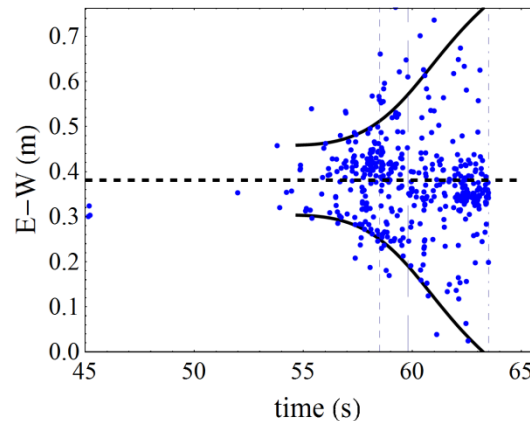
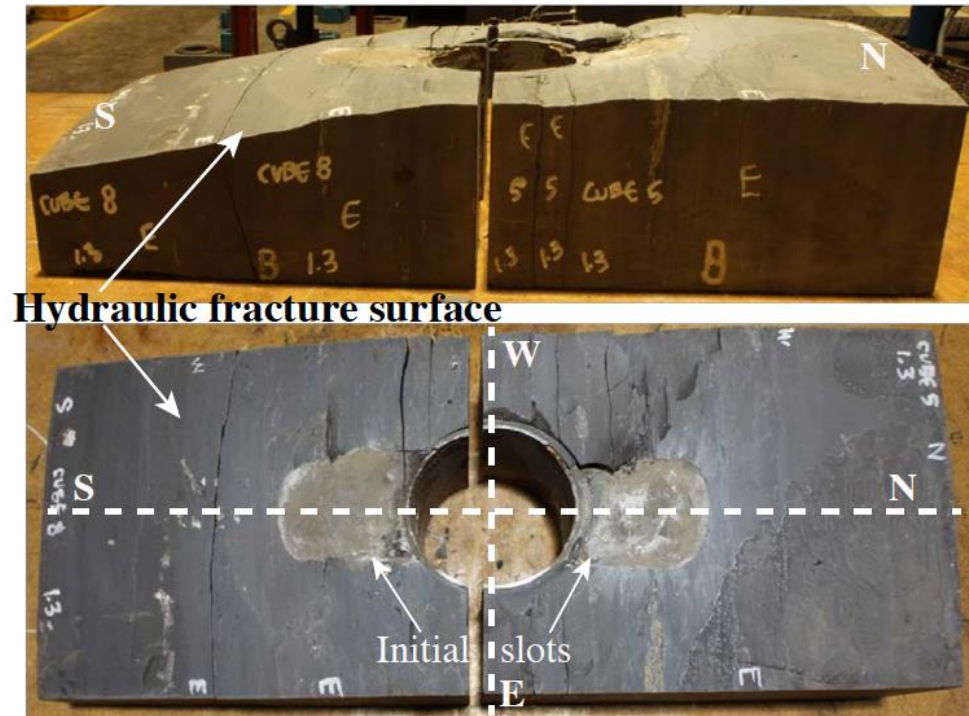
# Cement – cov12c



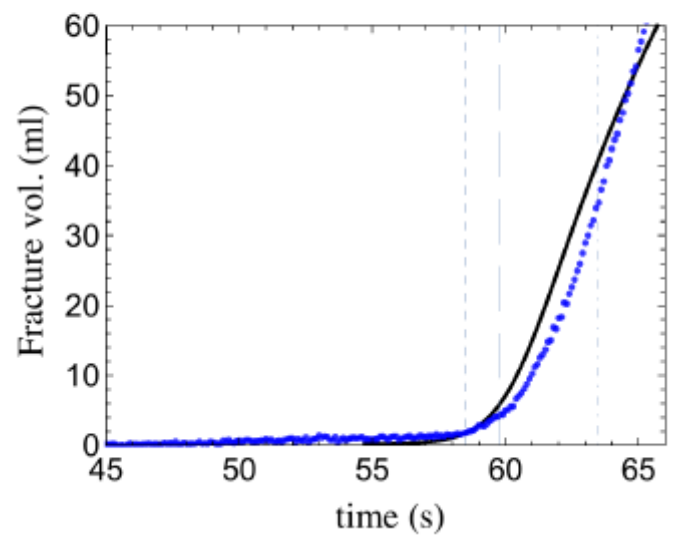
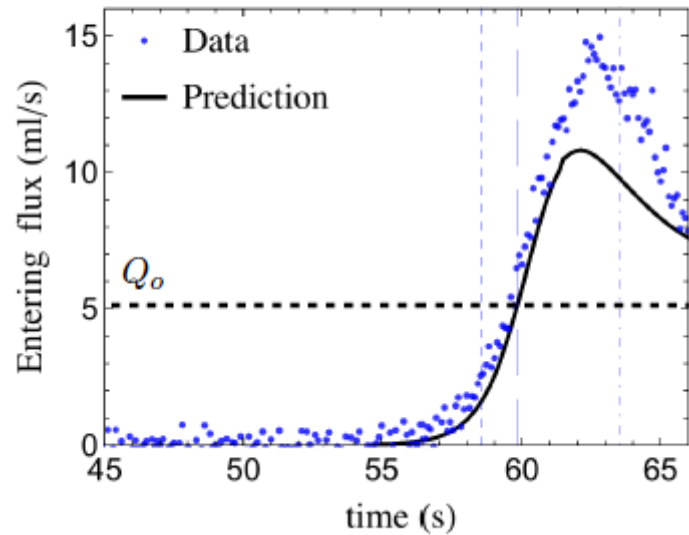
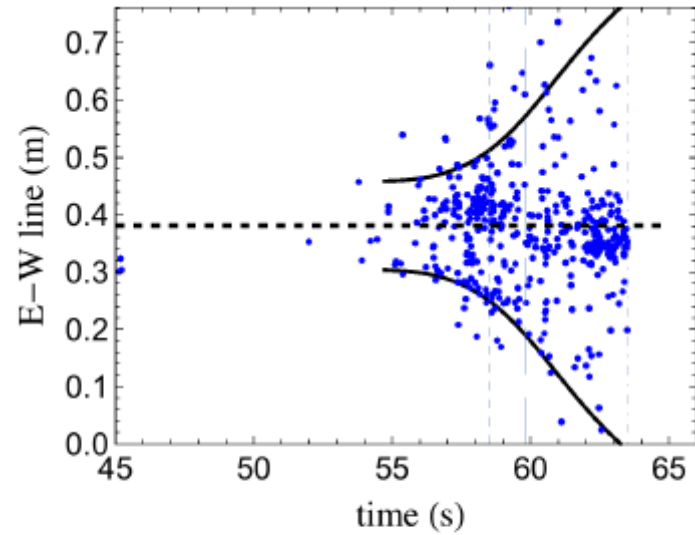
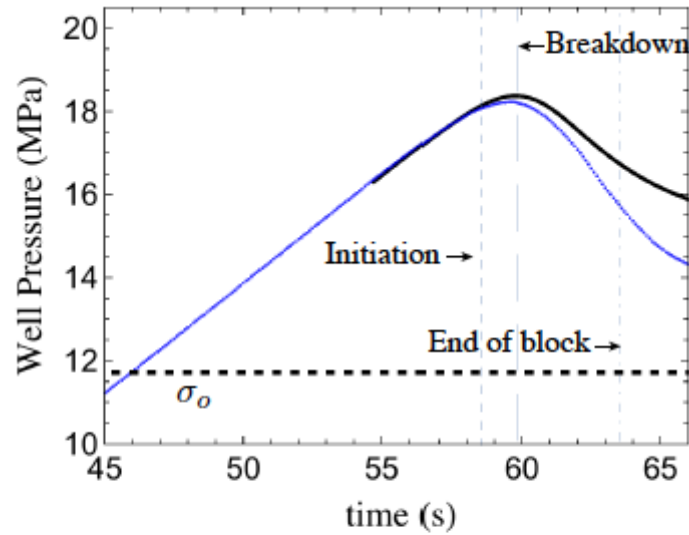


# Niobrara shale

- 2 slots not a radial notch
- Asymmetric propagation
  - N/S vs E-W
- Radial model captures initiation & growth



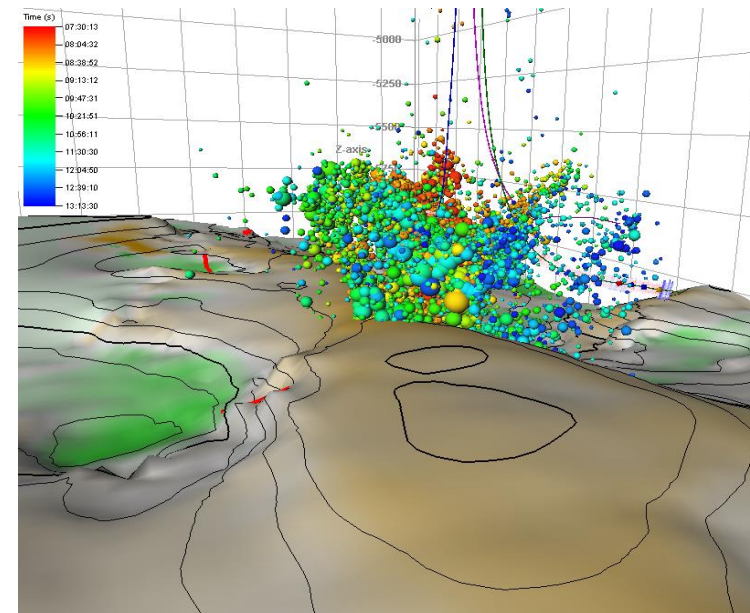
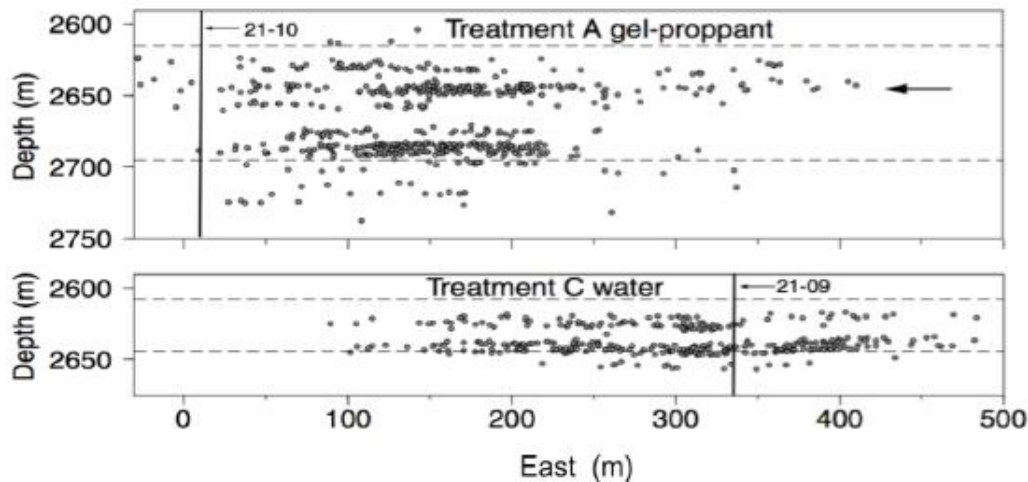
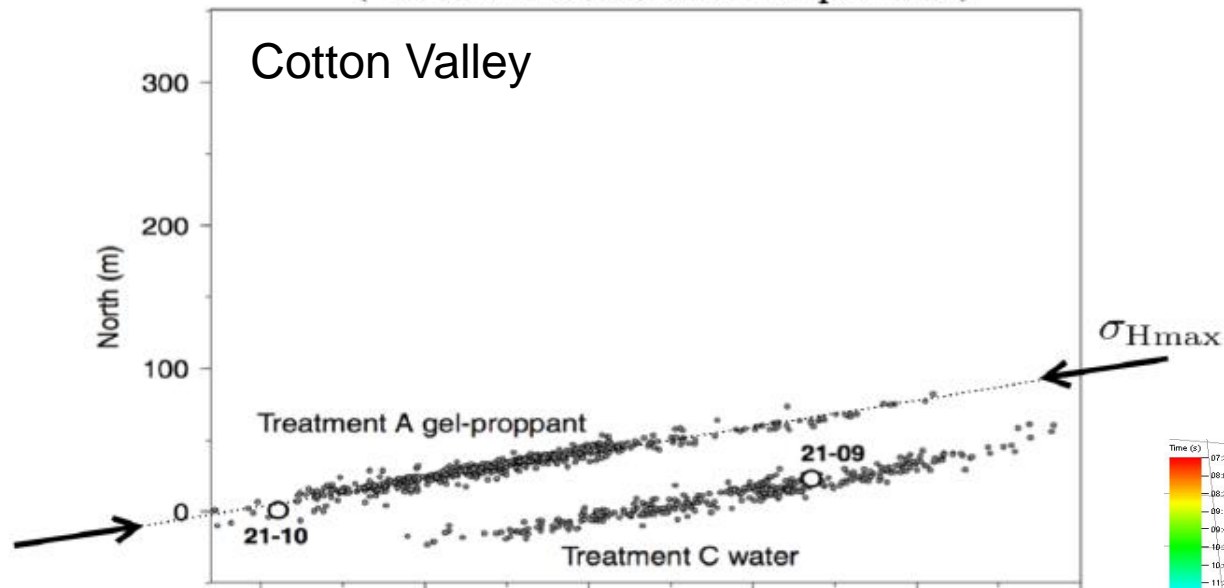
# Niobrara shale



# Micro-Seismicity as a monitoring tool

[Rutledge, Phillips & Mayerhofer, BSSA 2004]

Relocated microearthquake sources  
(~90% left-lateral strike-slip events)



# Mostly small events

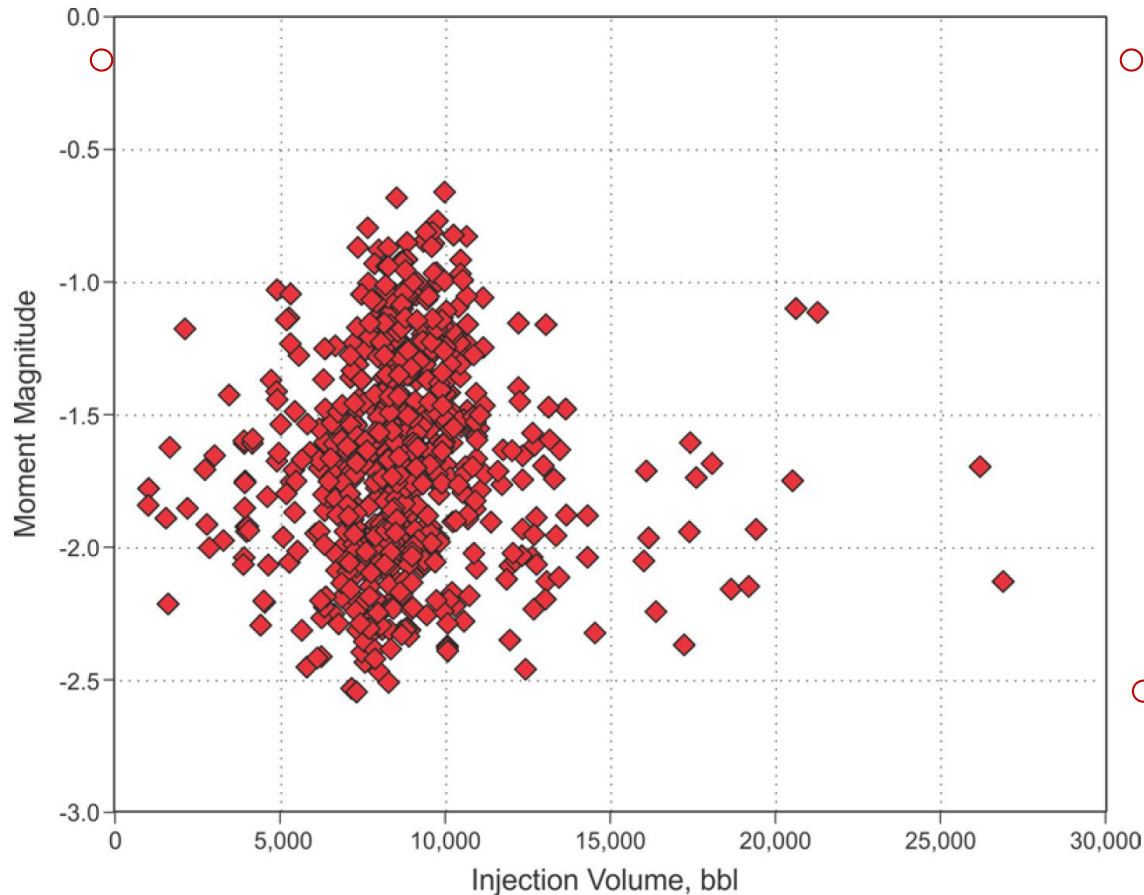


Fig. 10—Moment magnitude versus injected volume for Marcellus shale projects.

[Warpinski et al, 2012]  
SPE 151597

- MS events during HF
  - $M_w$  -3. up to 0-1
  - Less than 0.01% to the total energy input !

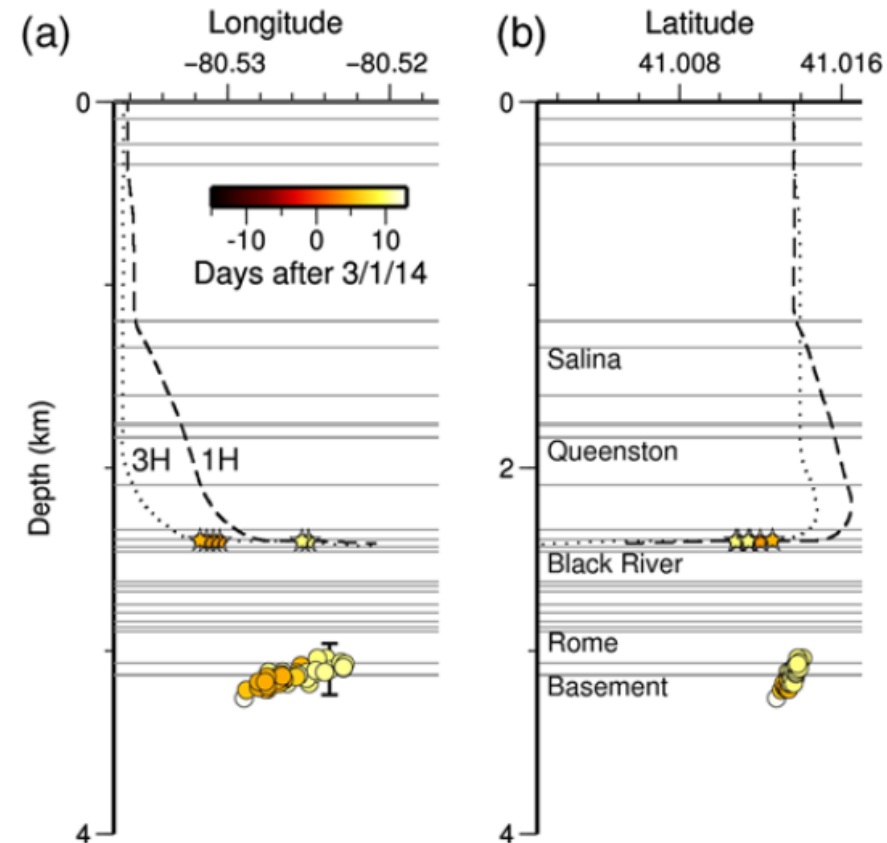
[Cipolla et al, 2012] SPE152165  
[Warpinski et al, 2012] SPE 151597  
etc.

- Note
  - Events also after shut-in
  - Combination of stress perturbation & pore-pressure diffusion

[Shapiro, 2015]

# Examples of 'Large' events associated with HF

- Blackpool, UK 2011 ( $M_L \sim 2.7$ )  
Bowland shale
  - Strike-slip stress regime
  - Reverse fault
  - Distance to injection zone:  
360m below, 400m east  
[e.g. Clarke et al., 2014]
- Ohio, Poland Township ( $M_L \sim 3$ )  
Utica shale
  - Strike-slip stress regime
  - Distance to injection zone:  
~ 600m deeper  
[Skoumal et al., 2015]
- Fox Creek 2013-15 ( $M_w \sim 3.9$ )  
Duvernay Shale
  - Strike-slip stress regime
  - Distance to injection zone:  
>1km horizontally, ~ 200-700m deeper  
[Schultz et al. 2015, Bao & Eaton, 2016]



[Taken from Skoumal et al., 2015]

# Stresses perturbation due to a growing HF

- Near tip – viscosity dominated asymptote

[Desroches et al. 1994]

$$\sigma_{ij} \propto \frac{4E'}{27 \times 3^{1/3}} \left( \frac{r}{L_m} \right)^{-1/3}$$

$$L_m = \frac{V\mu}{E'}$$

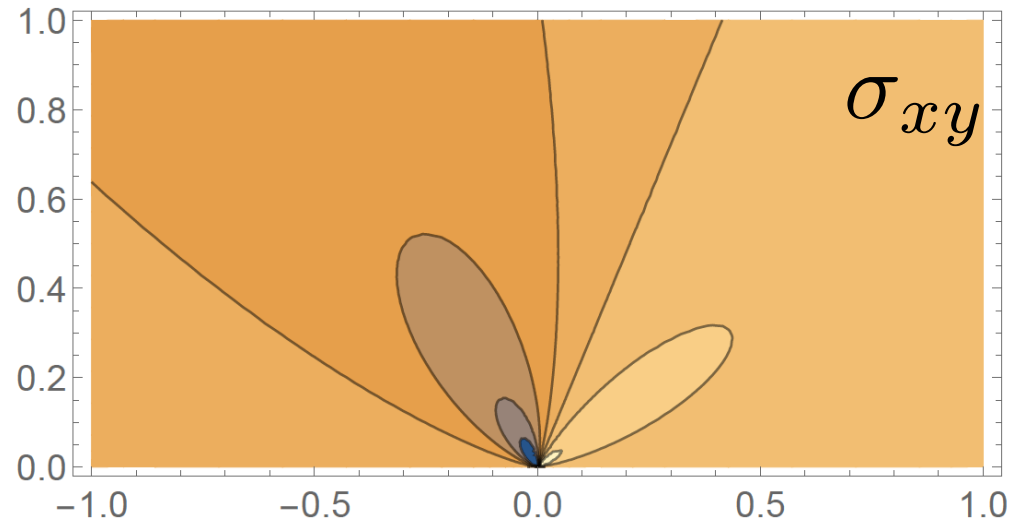
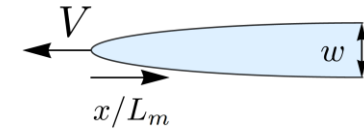
Example

$$\mu = 5\text{cP}, V = 2\text{m/s},$$

$$E' = 25\text{GPa}, L_m \approx 10^{-12}\text{m}$$

$$\sigma_{ij} \propto 256\text{kPa at 1 meter}$$

$$\sigma_{ij} \propto 111\text{kPa at 10 meters}$$

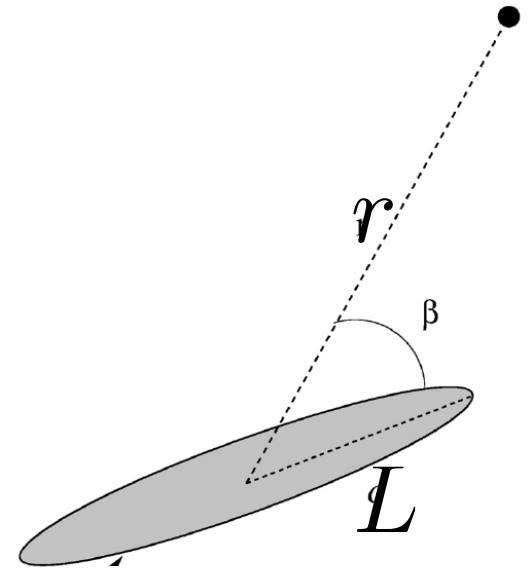


# Stresses perturbation due to a growing HF

---

- Far-field asymptote  
Stress perturbation decays as

$$\sigma_{ij} \approx \frac{E'}{4\pi} \times \frac{V_{frac}}{r^3} \Sigma_{ij} \text{ when } r > L$$



- Example:

$$V_{frac} = 70\text{m}^3, E' = 25\text{GPa}, r = 300\text{m}$$

$$\sigma_{ij} \propto 6\text{kPa}$$

# Pressurization of a fault

- Shear crack

$$\tau(x, t) = \tau^b - \frac{G}{2\pi \cdot (1-\nu)} \int_{a_-(t)}^{a_+(t)} \frac{\partial \delta(s, t)}{\partial s} \frac{ds}{x-s} + \frac{G}{2c_s} \dot{\delta}(x, t), \quad |x| < a$$

$$\tau(x, t) \leq f(\delta)(\sigma_n - p(x, t))$$

- Fluid flow along the fault

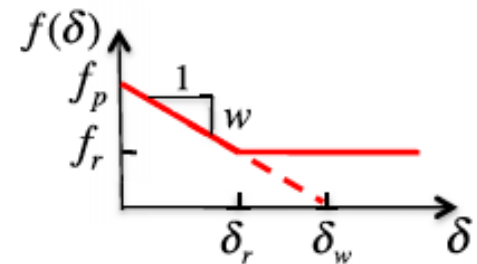
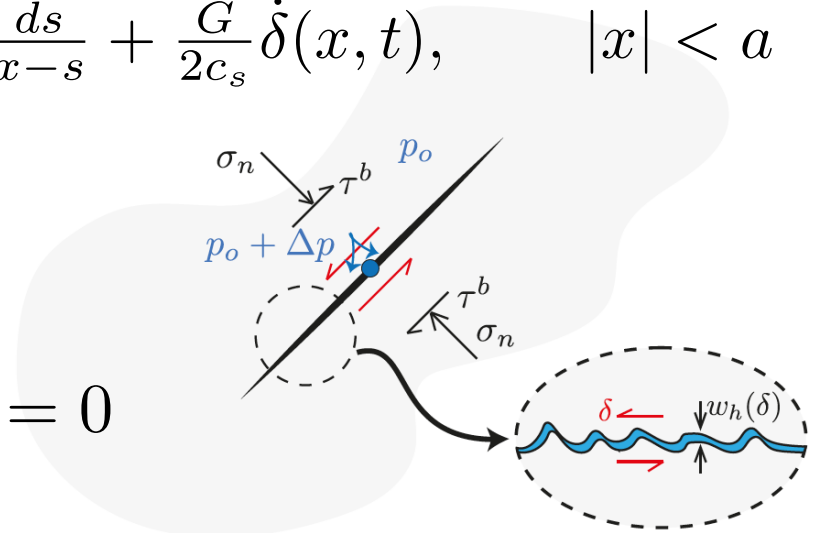
$$w_h c_f \frac{\partial p}{\partial t} + \frac{\partial w_h}{\partial t} - \frac{\partial}{\partial x} \left( \frac{w_h k_f}{12\mu} \frac{\partial p}{\partial x} \right) = 0$$

- Ultimately stable vs unstable

$$\tau^b < f_r(\sigma_n - p_o)$$

$$\tau^b > f_r(\sigma_n - p_o)$$

- Marginally pressurized fault can exhibit dynamic nucleation and arrest



[Garagash & Germanovitch, 2012]

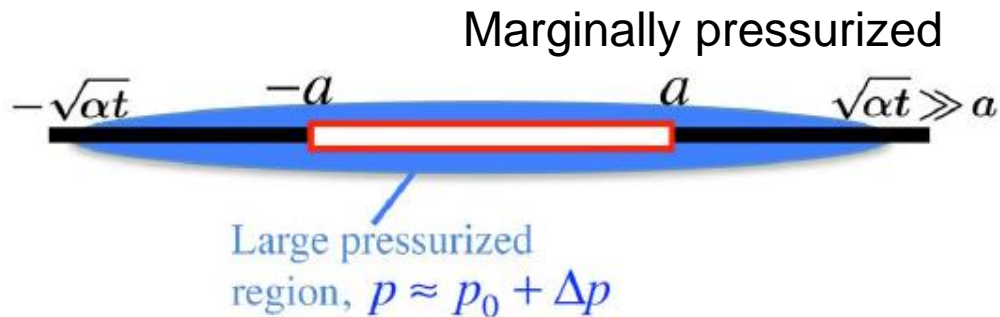
[Viesca & Rice, 2012]

etc.



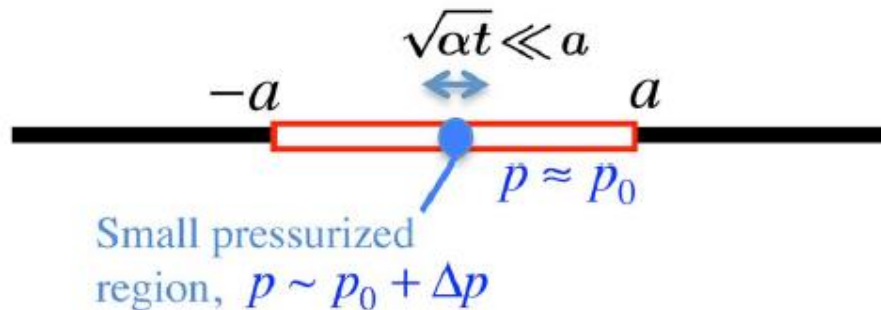
# Pressurization of a fault

(a)  $\tau_p - \tau^b \simeq f_p \Delta p$



$$a_c = 0.579 \frac{G}{\tau_b} \delta_w$$

(b)  $\tau_p - \tau^b \ll f_p \Delta p$  Critically stressed



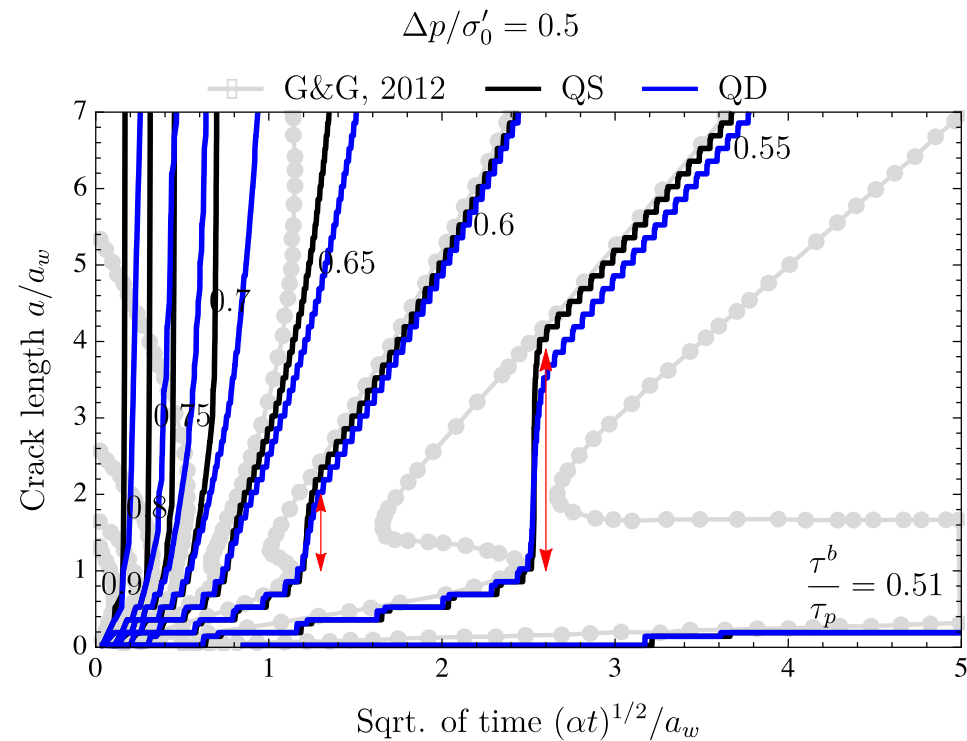
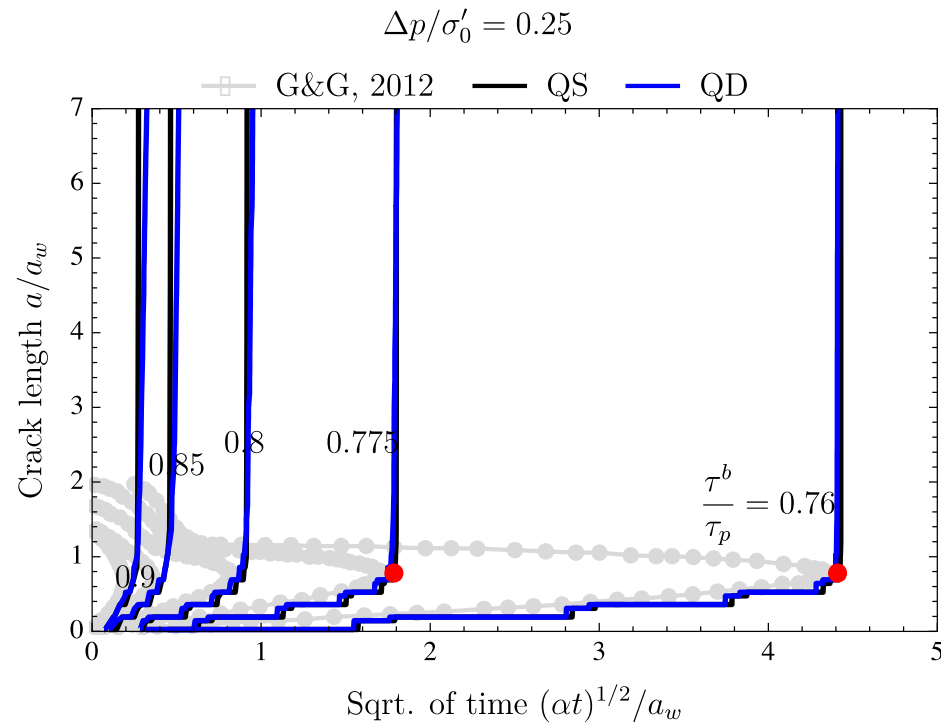
$$a_c = 0.579 \frac{G}{f_p (\sigma_n - p_o)} \delta_w$$

[Garagash & Germanovitch, 2012]

[Uenishi & Rice, 2003]

# Numerical examples – No dilatancy case

Benchmarking with semi-analytical results from Gargarash & Germanovitch



P1-15  
F. Ciardo

$$a_w = \frac{G}{\tau_p(1-\nu)} \delta_w$$

$$\alpha = \frac{k_f}{c_f 12\mu}$$

$$f_r/f_p = 0.6$$

# Conclusions

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- Hydraulic fracture mechanics is predictive at least for simple fracture geometry (pure mode I)
- Micro-seismic events are related to stresses perturbations around the growing HF ('undrained like response')
- "Large" events occurring during hydraulic fracturing are due to the nucleation of dynamic slip on a pre-existing fault
  - Due to pore fluid pressurization into the fault
  - (less likely to be stress changes induced by the HF)
- Dynamic nucleation appears to occur below the injection interval (basement)... variation of in-situ stress & frictional properties ?
- In view of EGS applications, models must account for both quasi-static slip and dynamic nucleation
- Development of fully coupled model for mixed mode fluid driven fractures (& EQ nucleation) requires careful benchmarking with both semi-analytical solutions & lab experiments